

measuring
GW polarizations
beyond GR
recent results and
future prospects

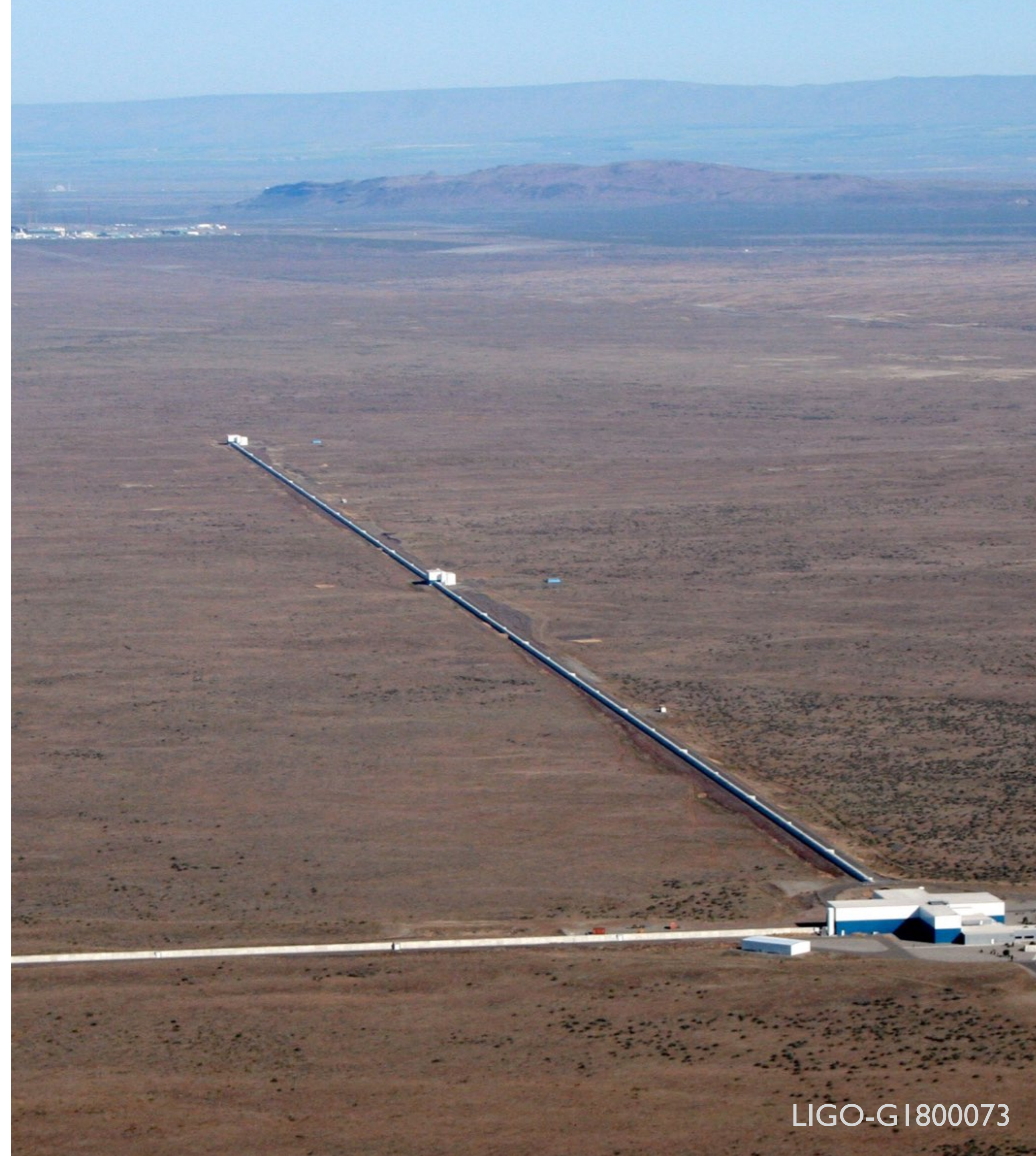
Maximiliano Isi

LIGO Laboratory
California Institute of Technology
Massachusetts Institute of Technology

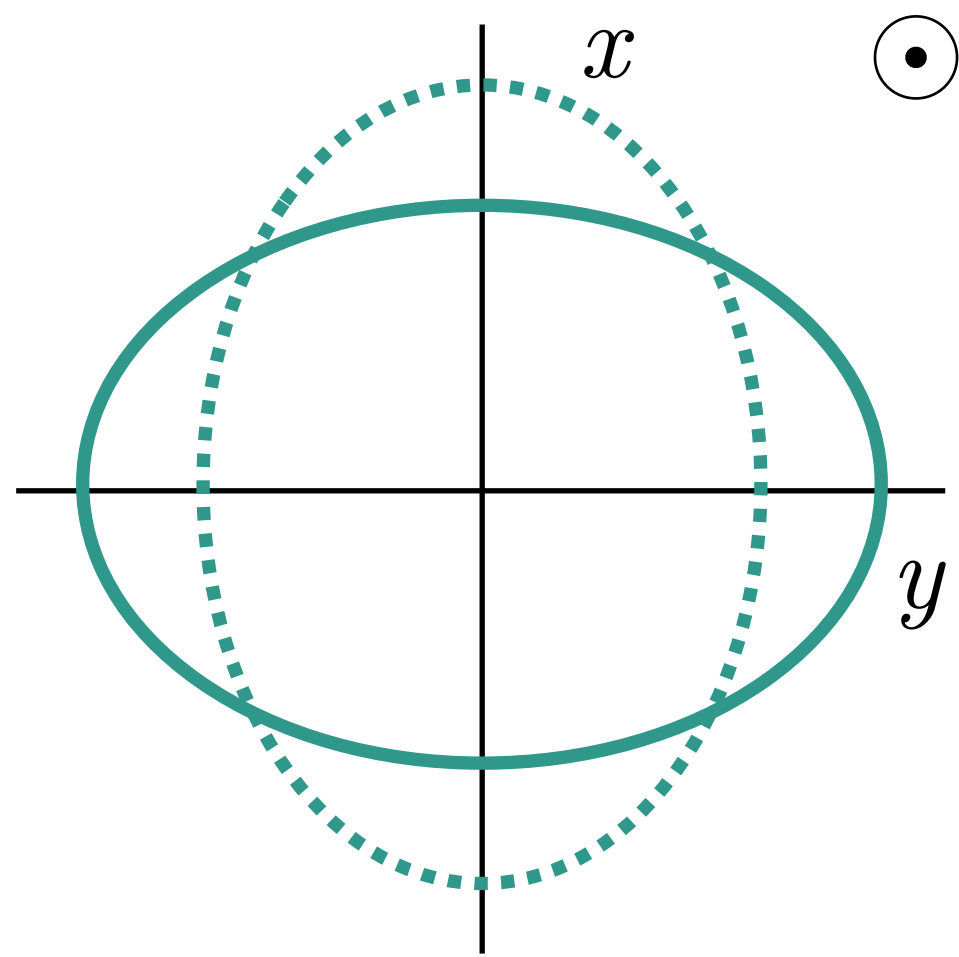
Oct 2, 2018

Einstein Symposium | Harvard University

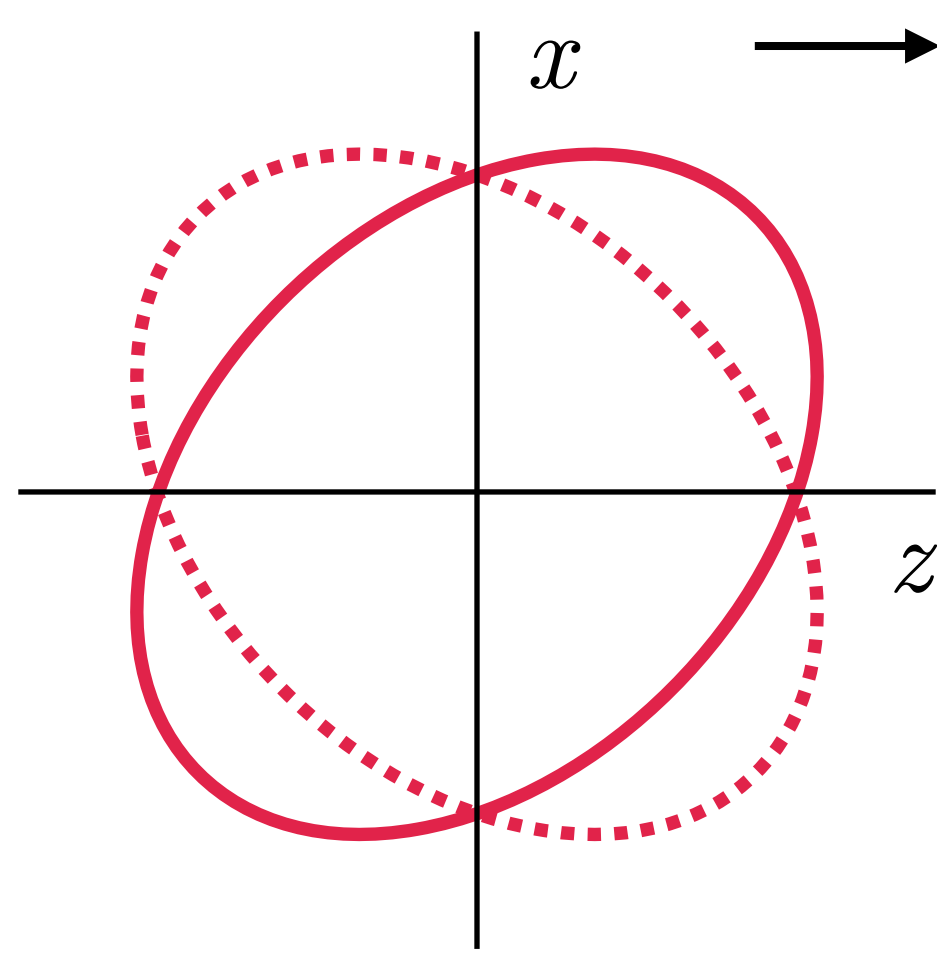
Caltech **Mit** **LIGO**



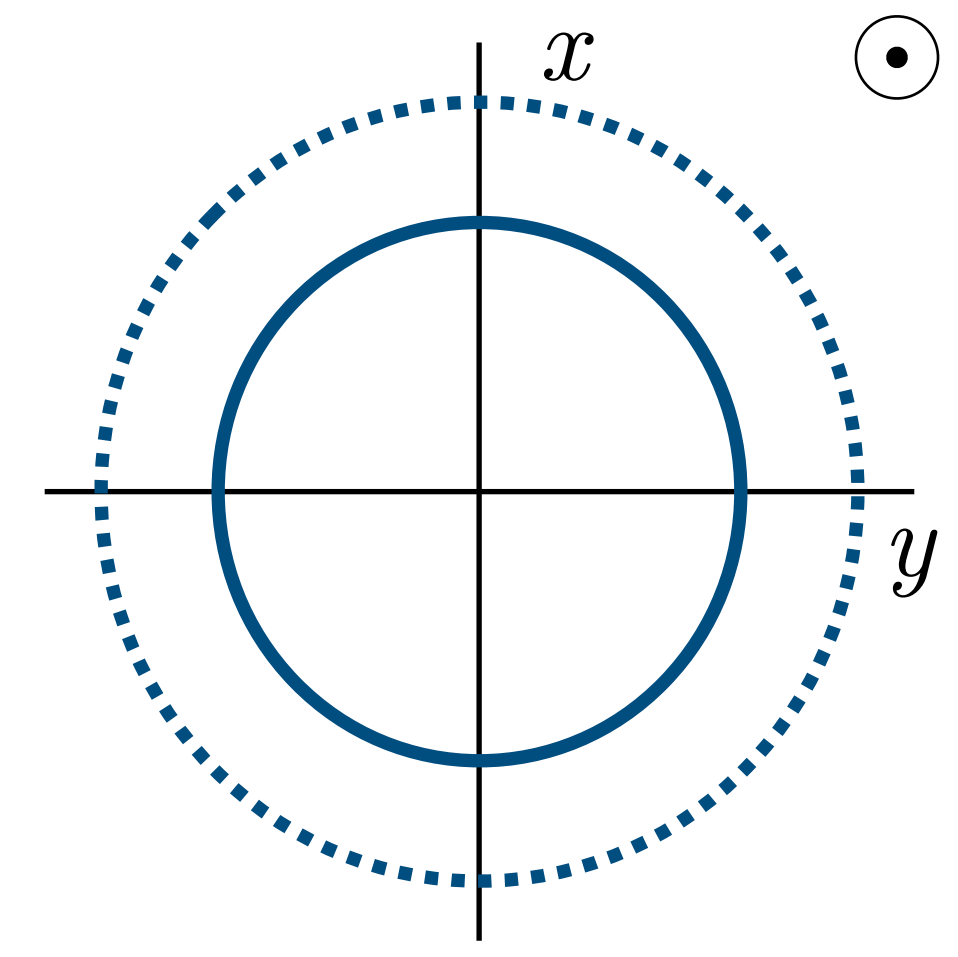
plus



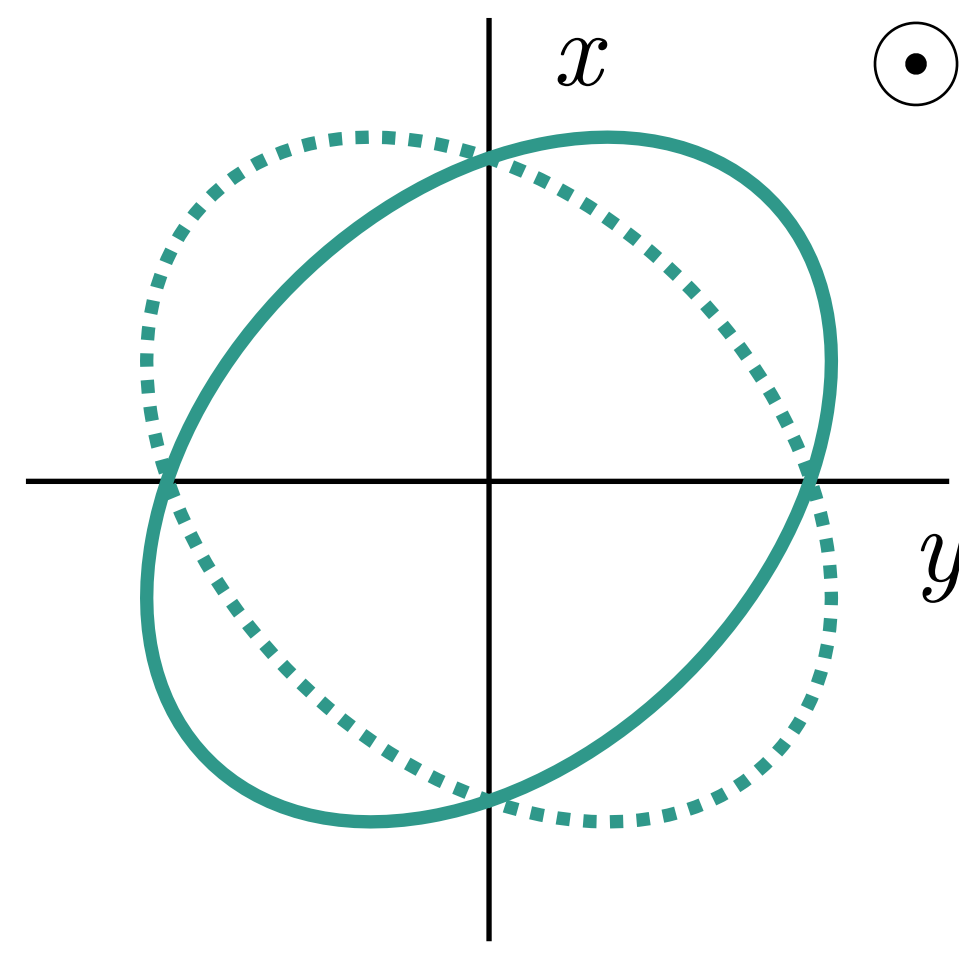
vector x



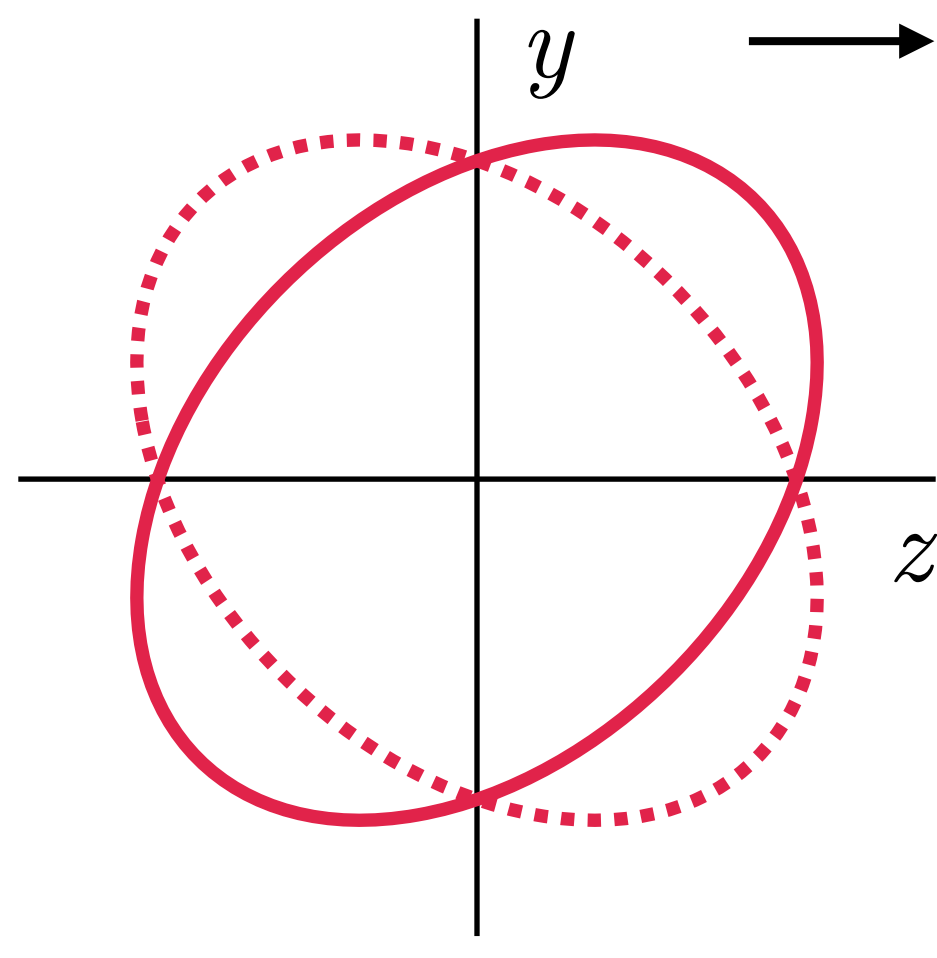
breathing



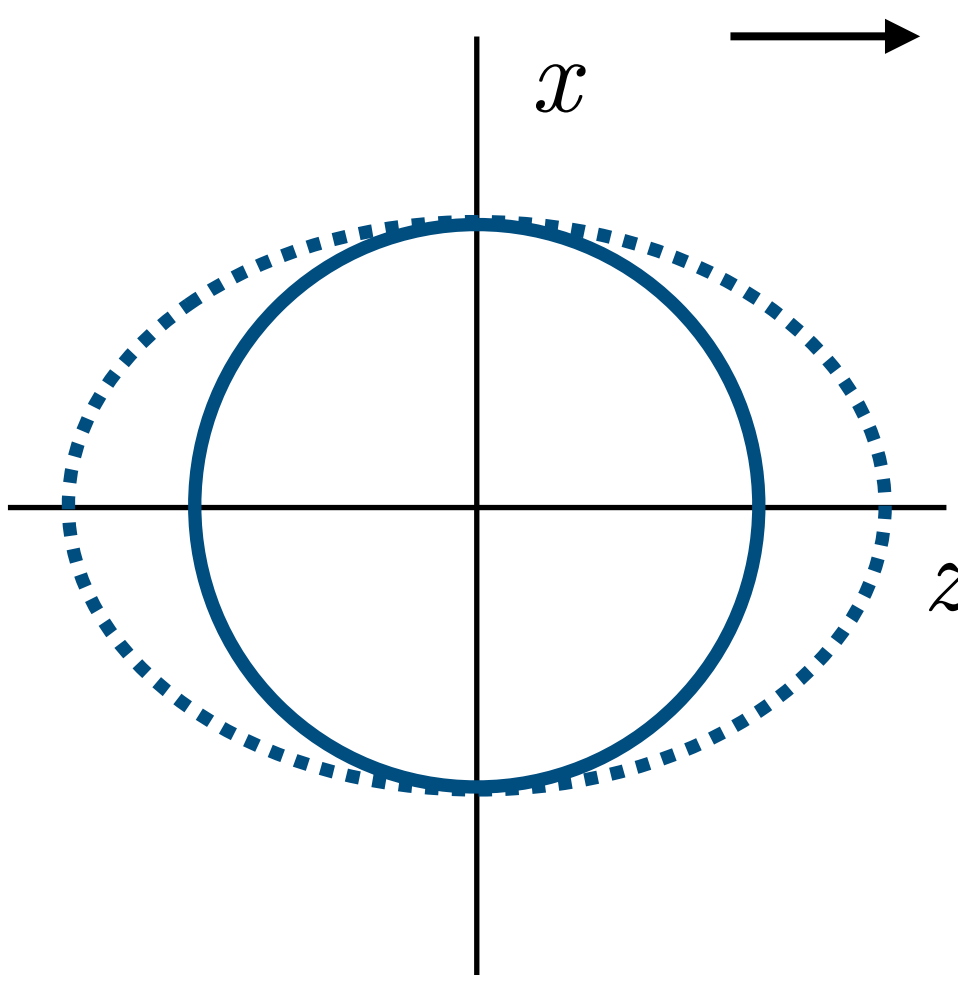
cross



vector y



longitudinal

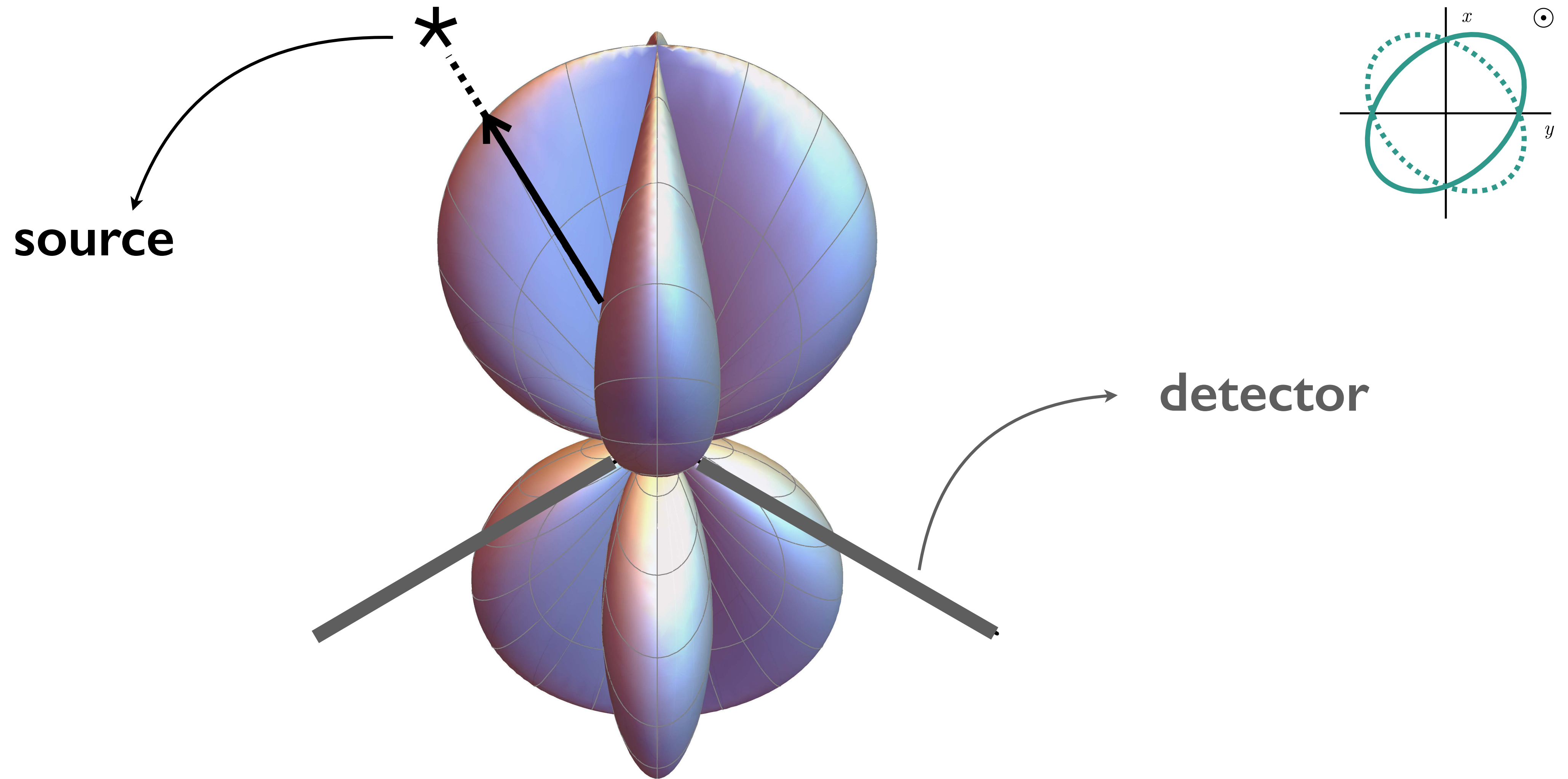


goal

**study polarizations* via
projection of GW onto detectors**

directly via a semi-local measurement
with the fewest possible assumptions
about source and phase evolution

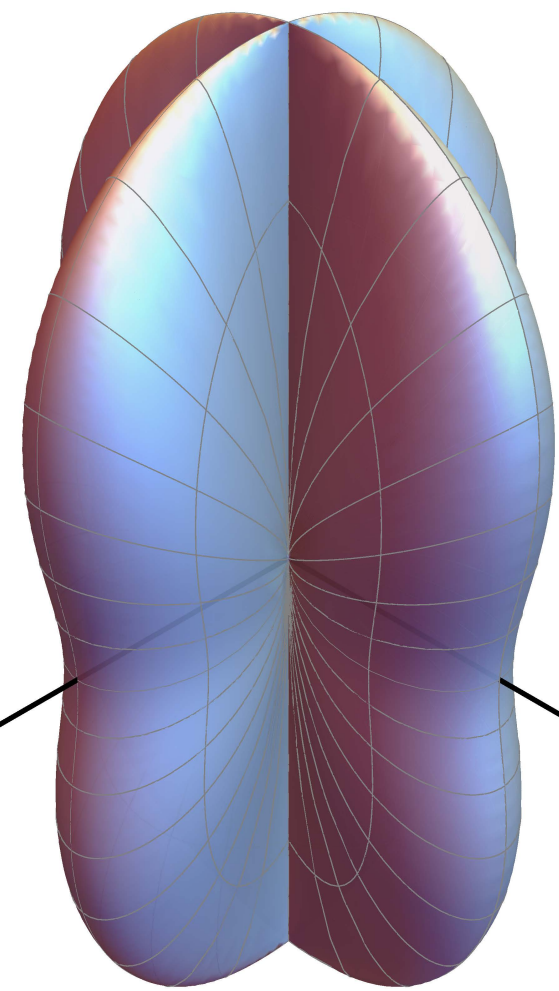
*i.e. which directions are stretched/squeezed with respect to wave-vector



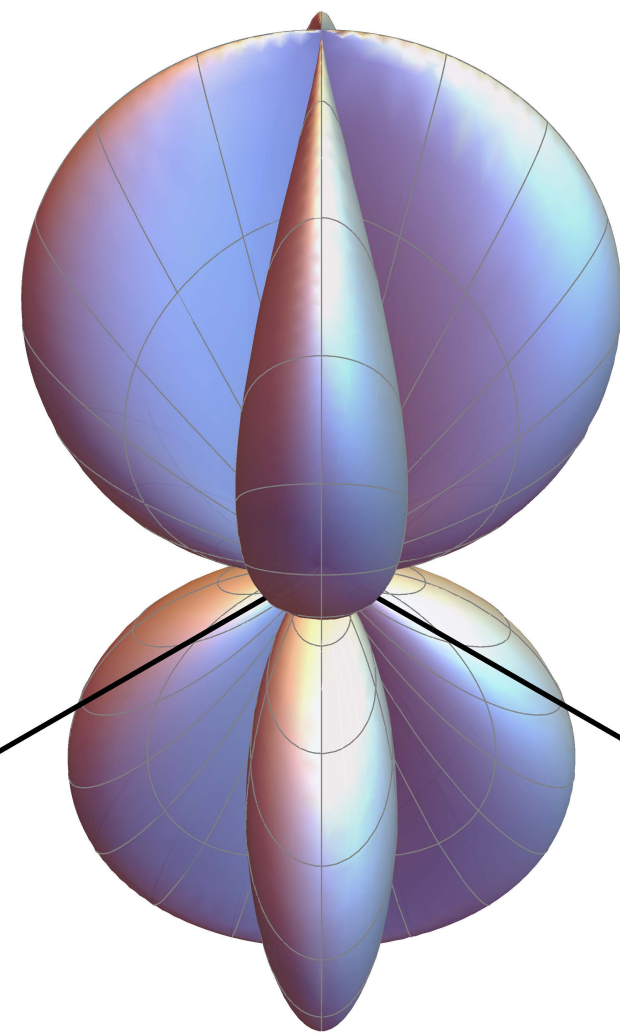
angular sensitivity to cross polarization

radial distance gives sensitivity to a wave from that direction; detector arms along x & y axis (straight lines)

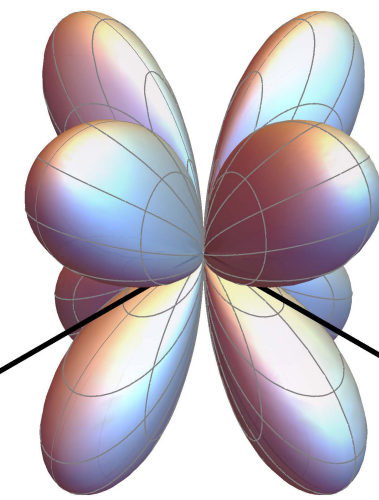
angular sensitivity



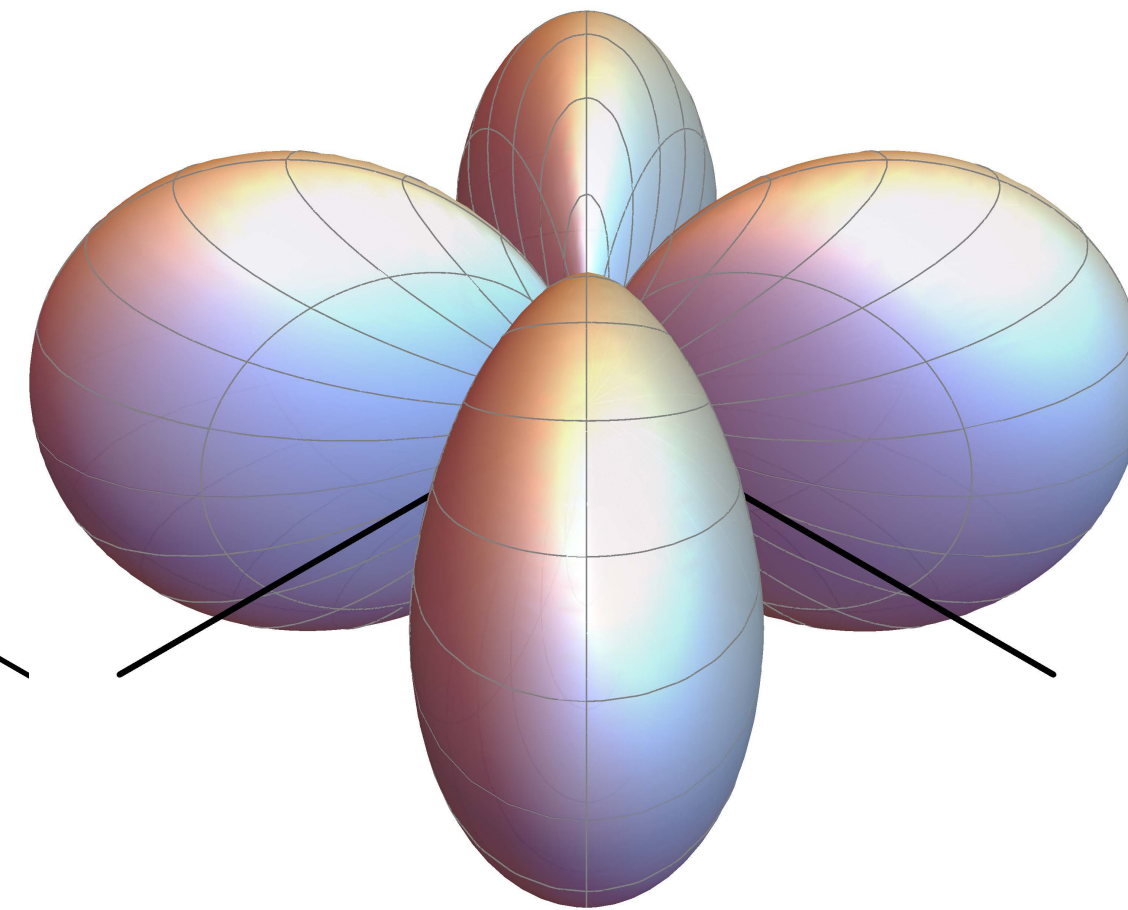
plus



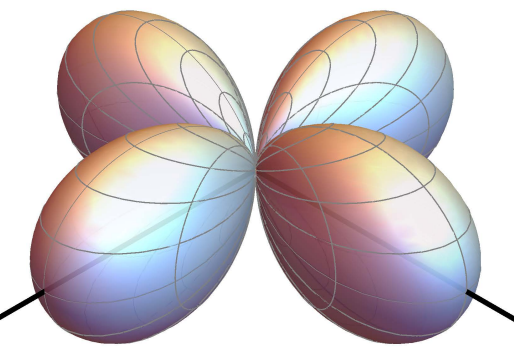
cross



vector x



vector y



scalar

detector arms have unit length in all plots

polarization measurement

polarization geometry gets encoded in
relative amplitude, phase and timing
at each detector via the antenna patterns

but...

**cannot break *all* degeneracies
with less than 5 detectors***

to make things worse, LIGO detectors are nearly coaligned

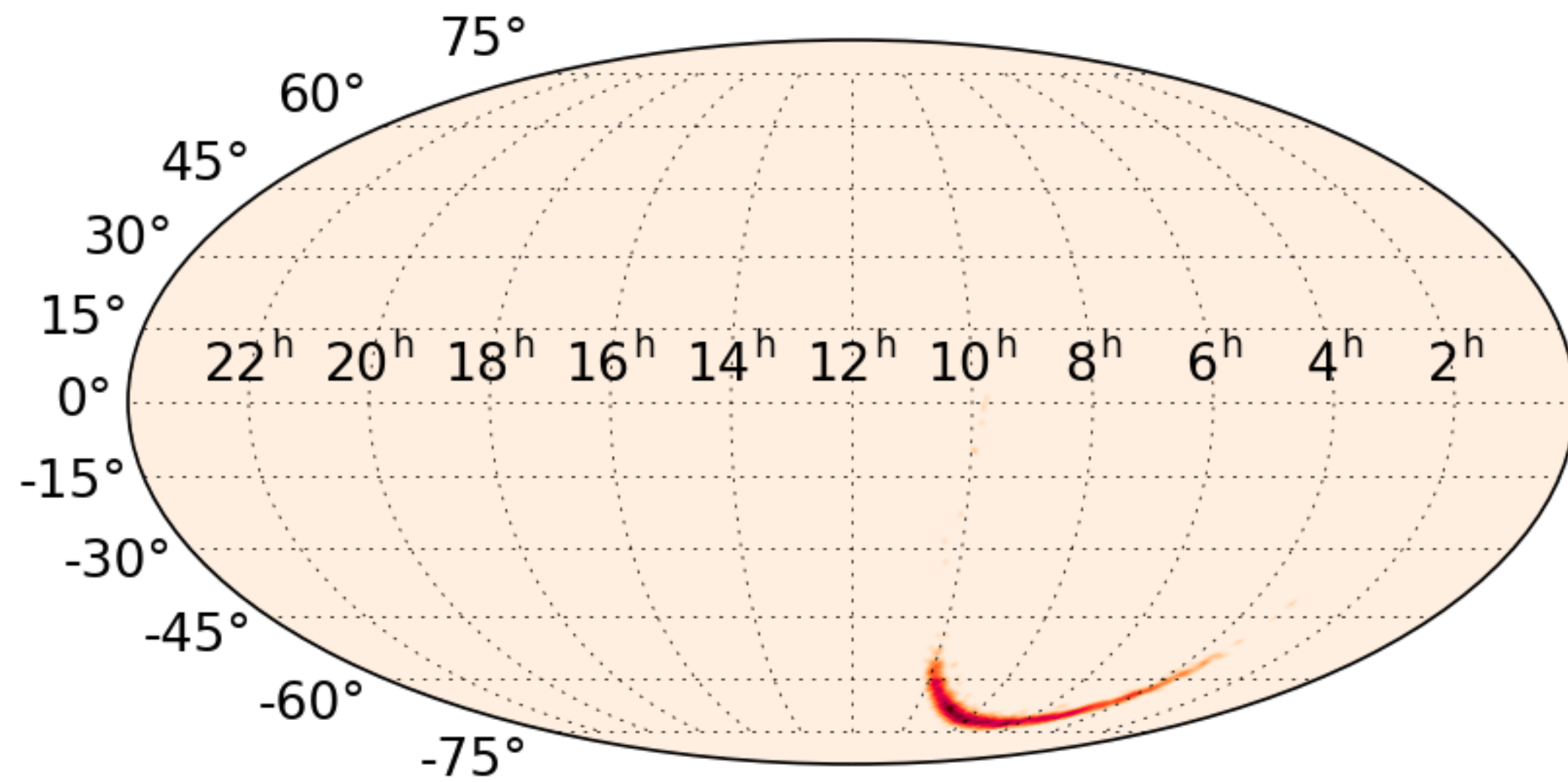
*non-coaligned differential-arm detectors, with *transient* signals, and even with an EM counterpart

**all LIGO-only detections are consistent
with fully-non-GR polarizations**

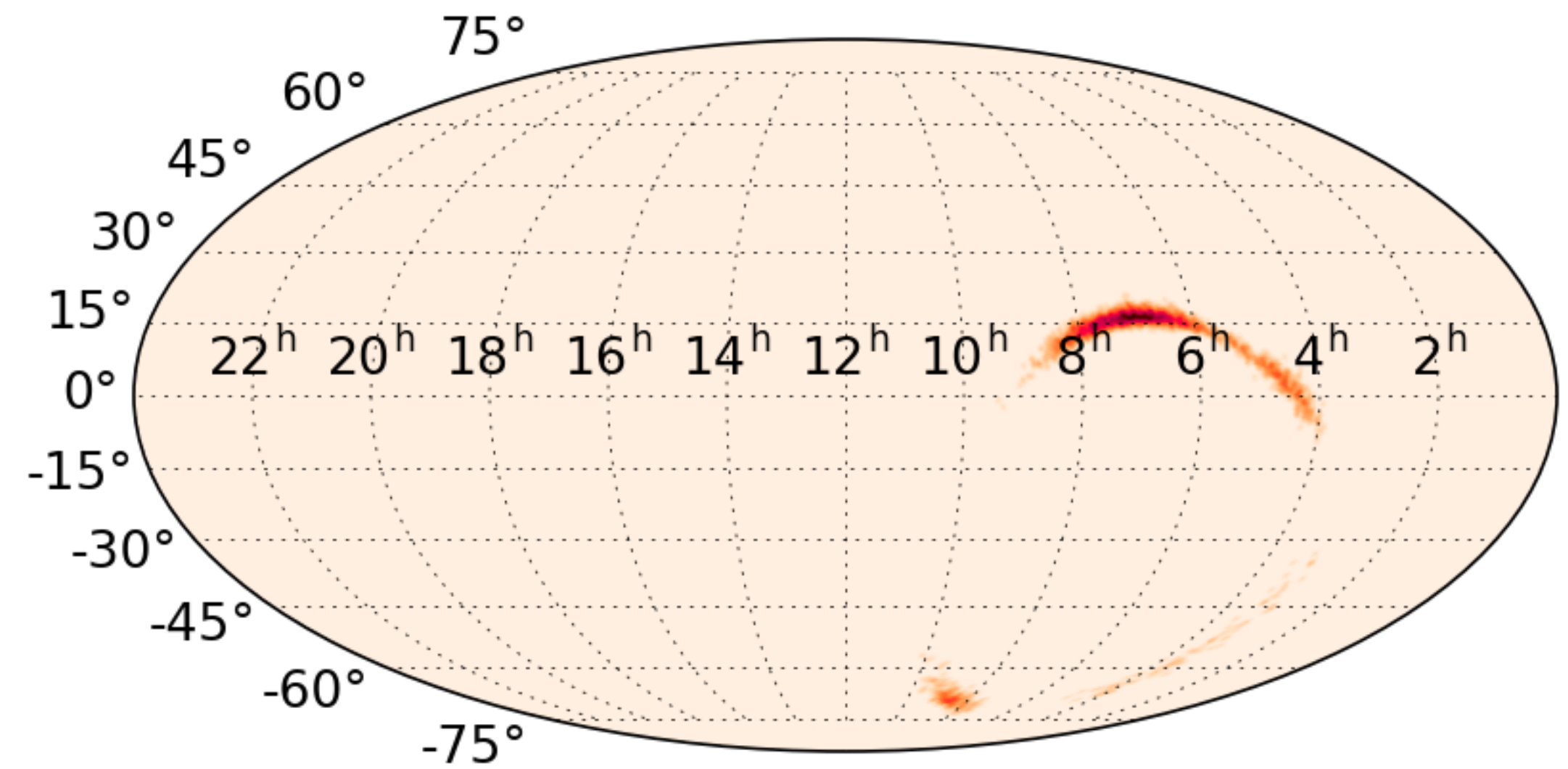
for example

GW150914

tensor



vector



equally likely in a Bayesian sense

(i.e. both hypotheses yield same evidence)

Virgo helps break *some* degeneracies

start by looking at the extremes

tensor

VS

vector

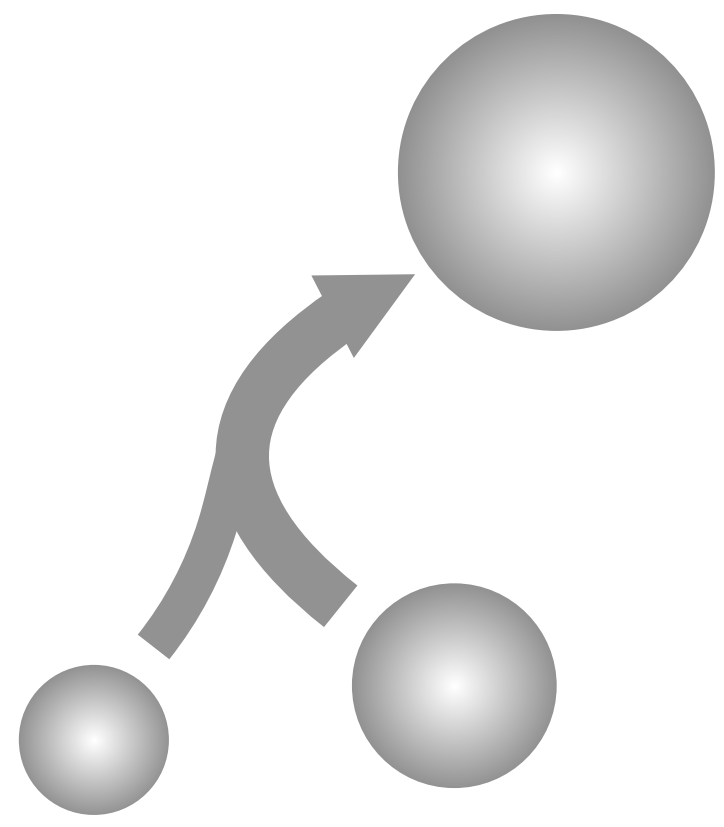
VS

scalar

analyze the data under these 3 polarization hypotheses

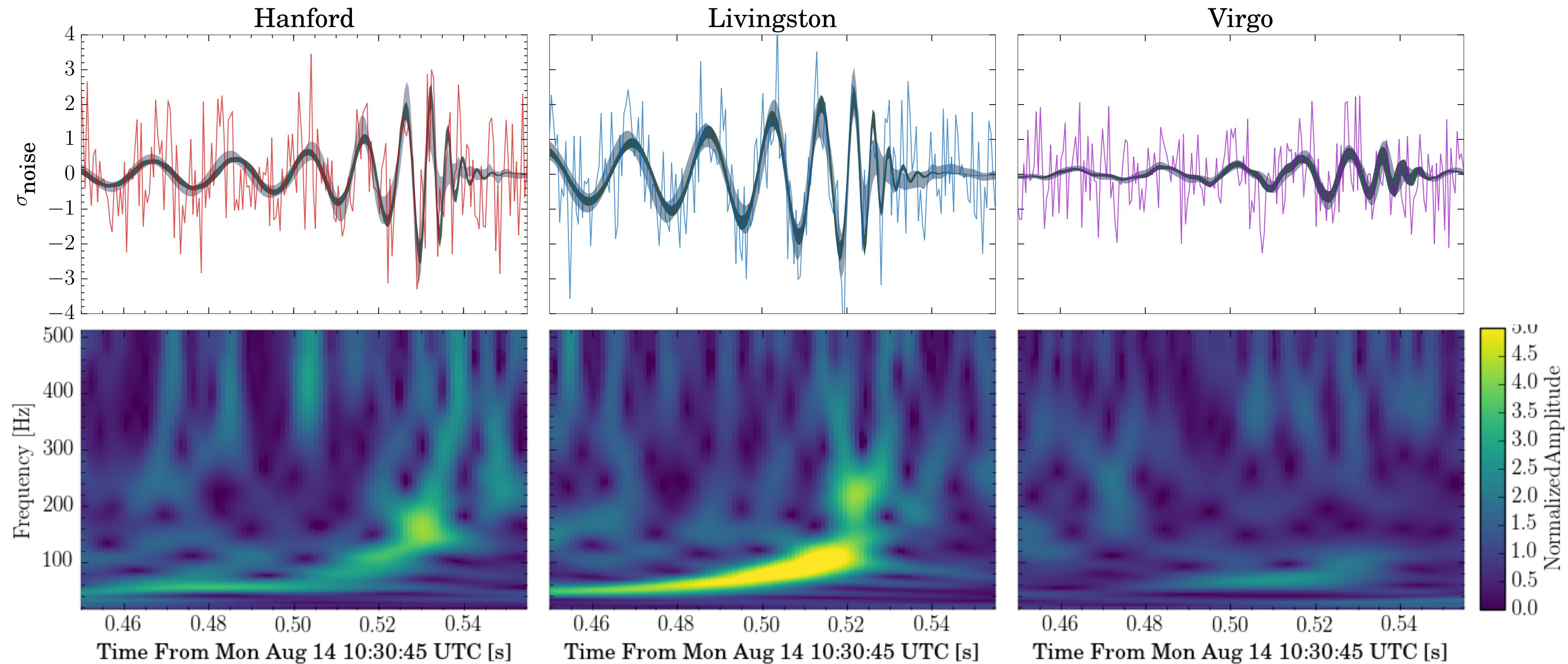
no mixtures allowed!





GW170814

can the 3-detector data distinguish between a pure tensor, pure vector, or pure scalar signal?



GW170814

bayes factors

$$\mathcal{B}_b^a \equiv \frac{P(\vec{d} | \mathcal{H}_a)}{P(\vec{d} | \mathcal{H}_b)}$$

tensor vs

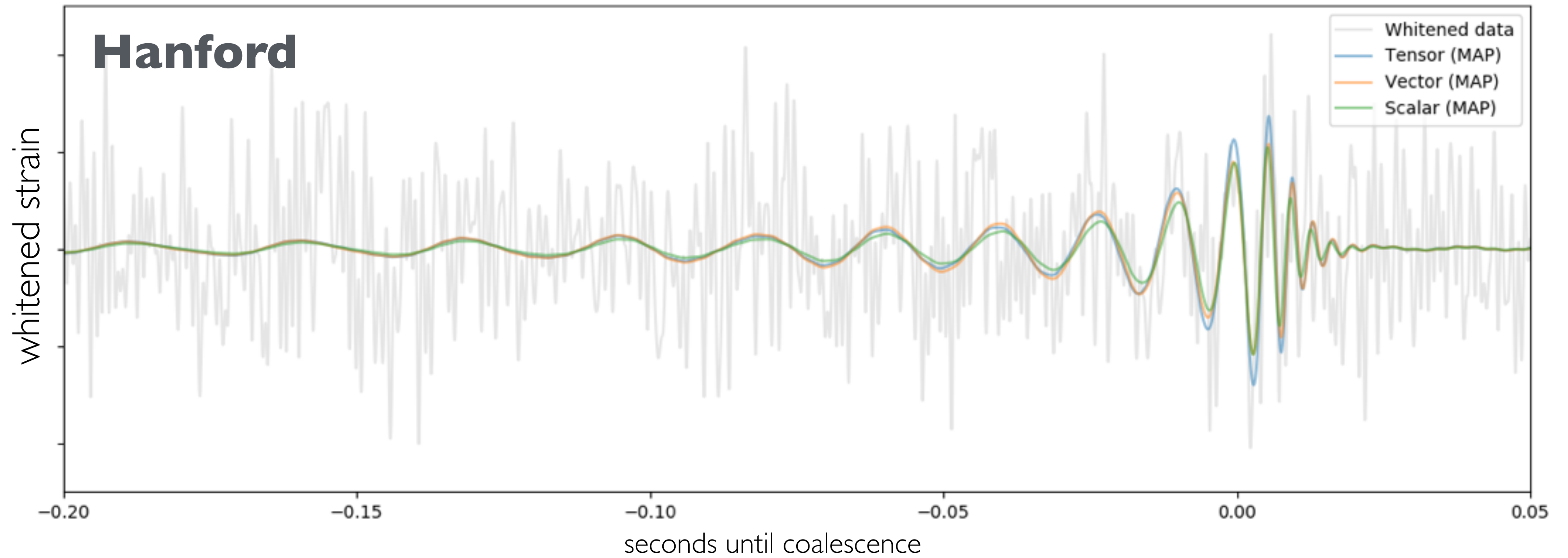
	vector	scalar
HL	0.17 : 1	0.46 : 1
HLV	>200 : 1	>1000 : 1

Virgo is key!

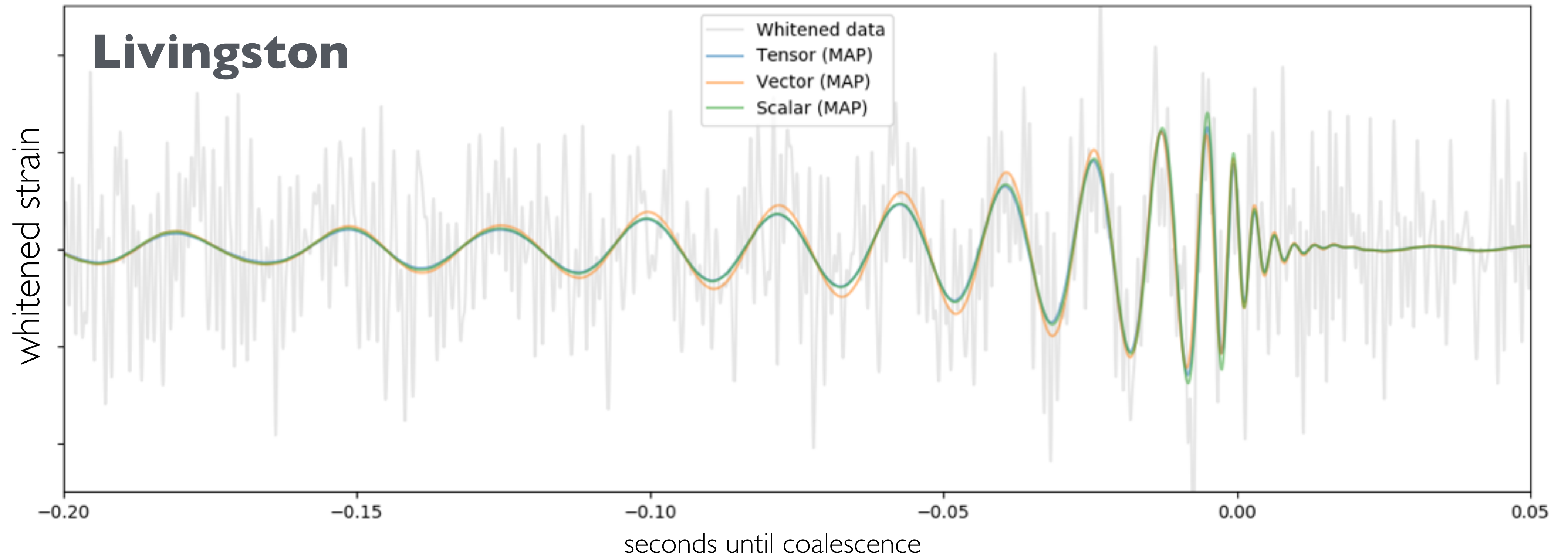
data favor GR

numbers from templated analysis—unmodeled sine-Gaussian studies reproduce these results

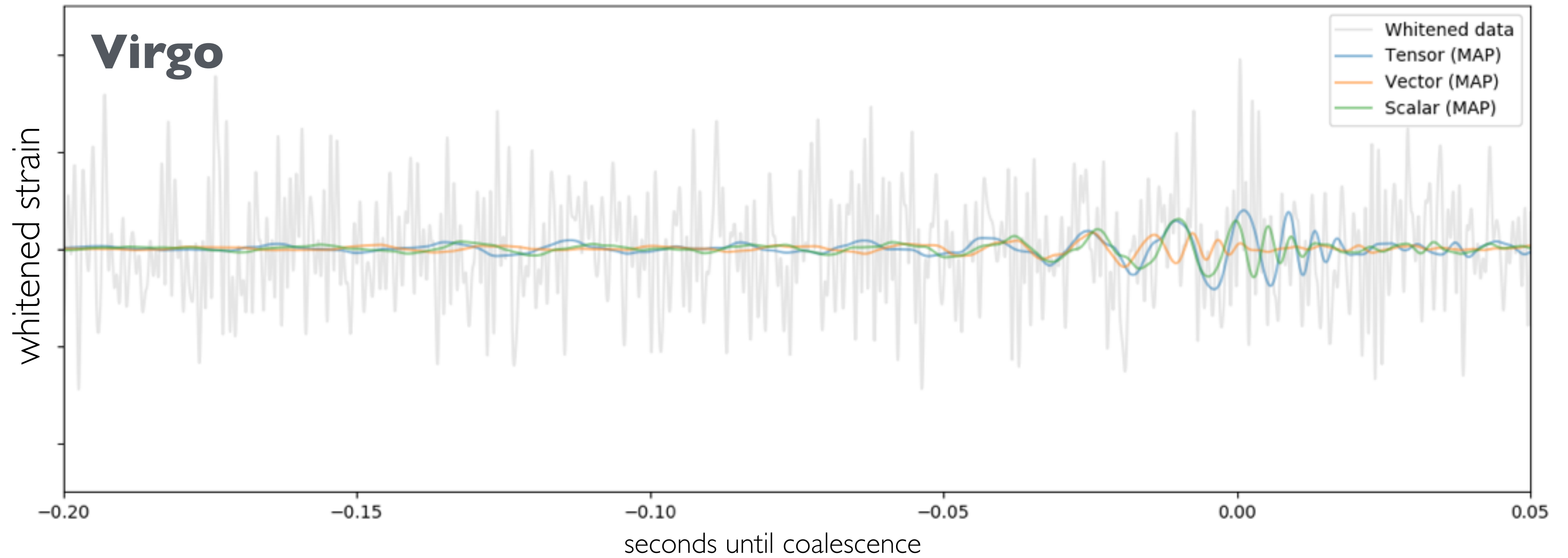
GW170814



GW170814



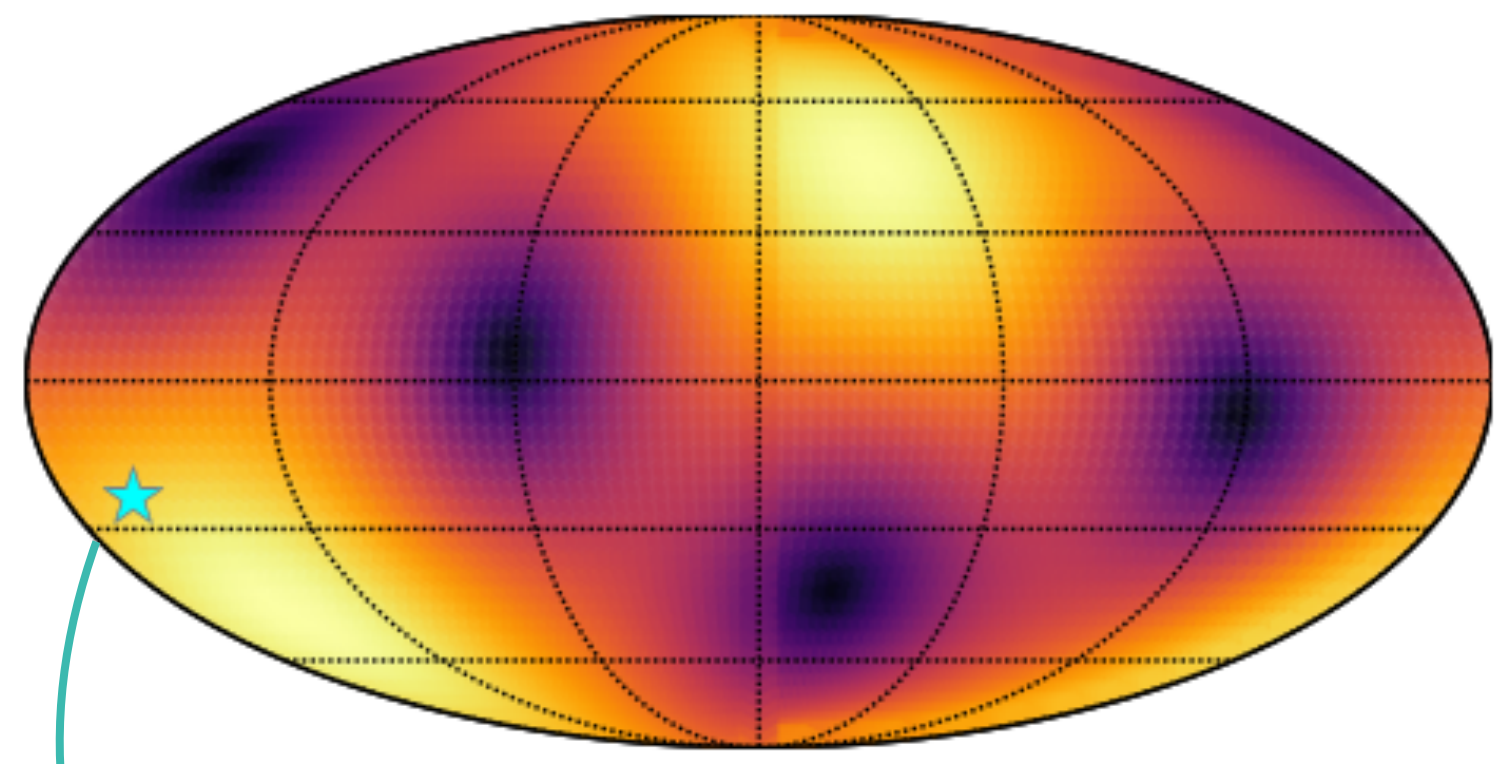
GW170814



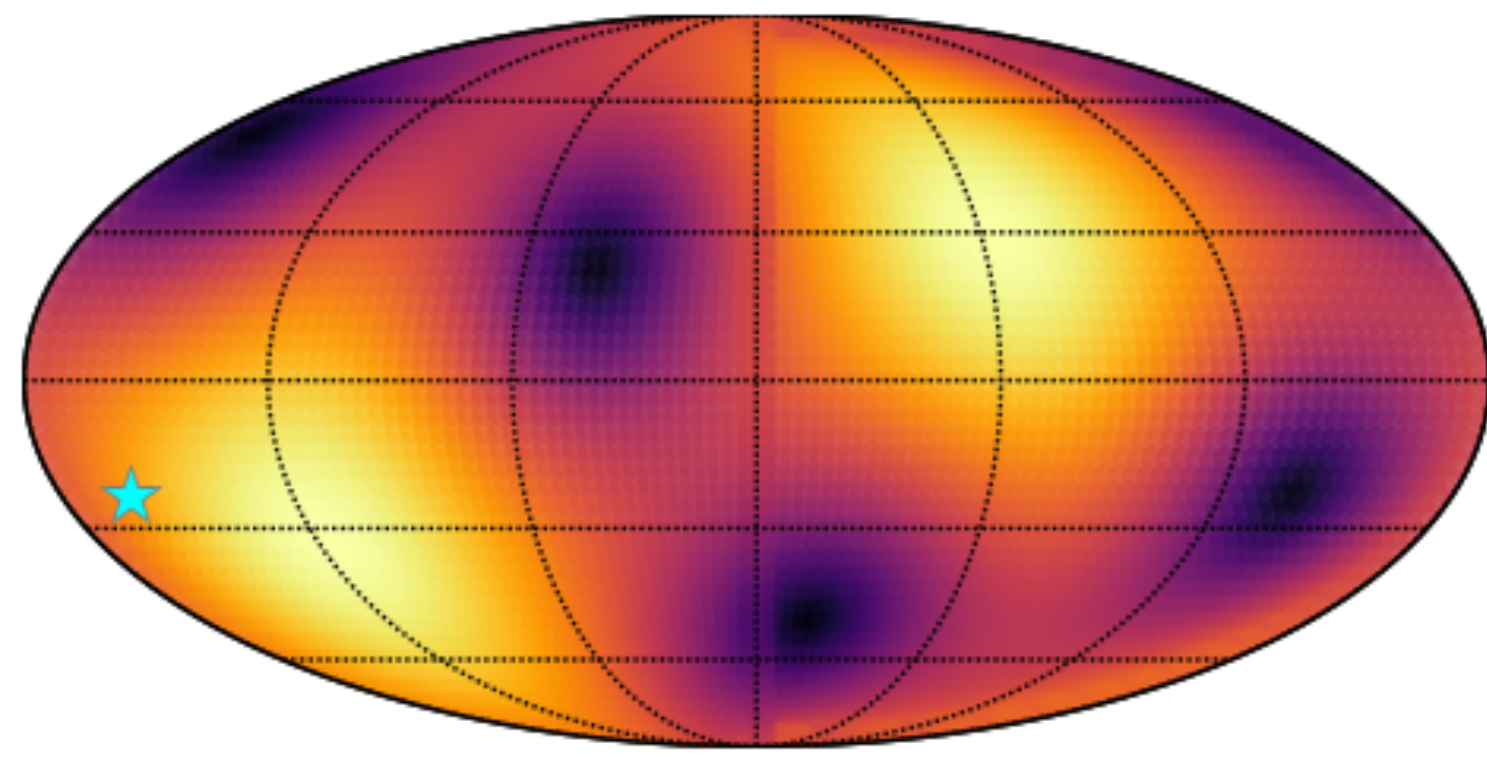
no GW data here!

GW170817

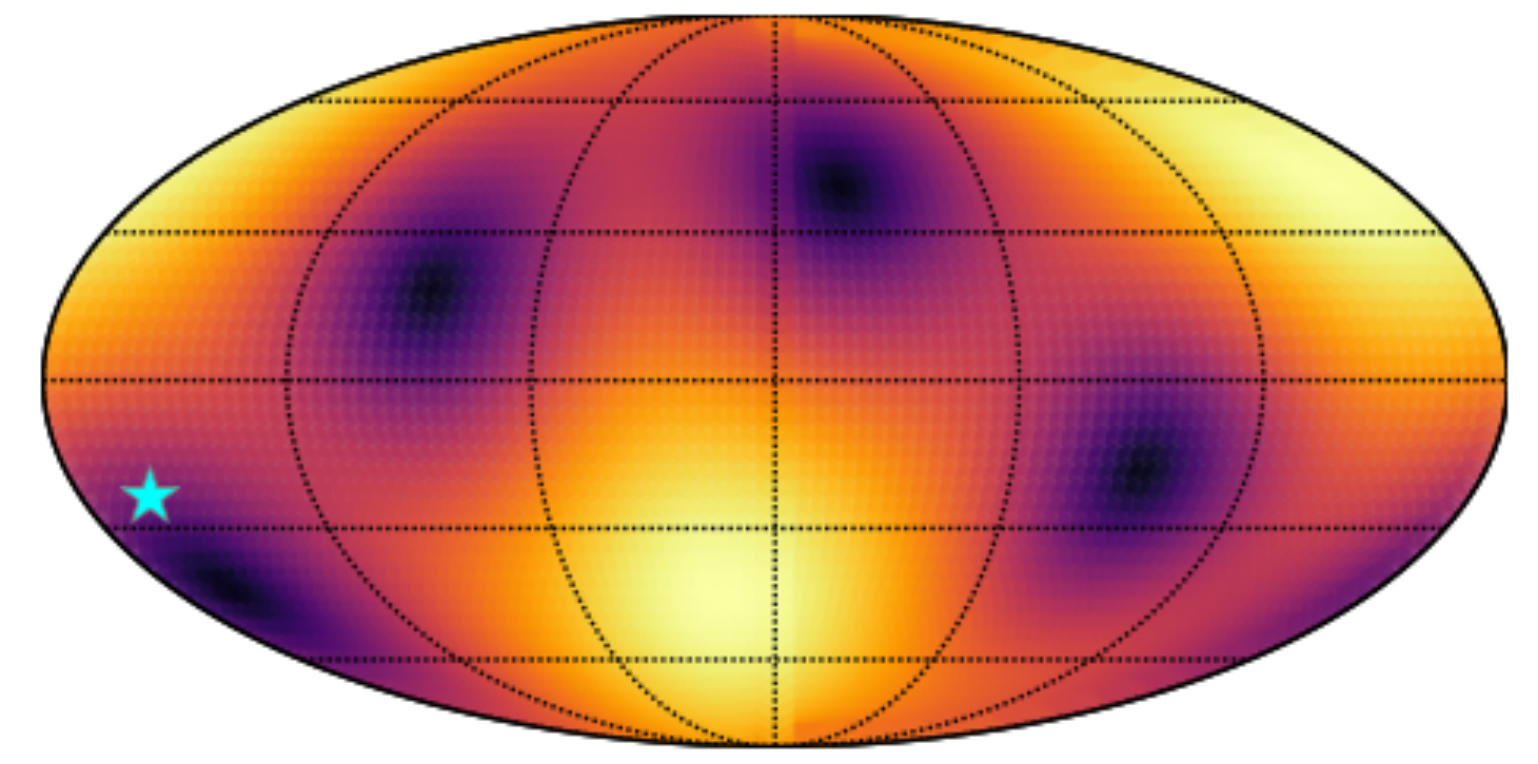
tensor sensitivity



Hanford

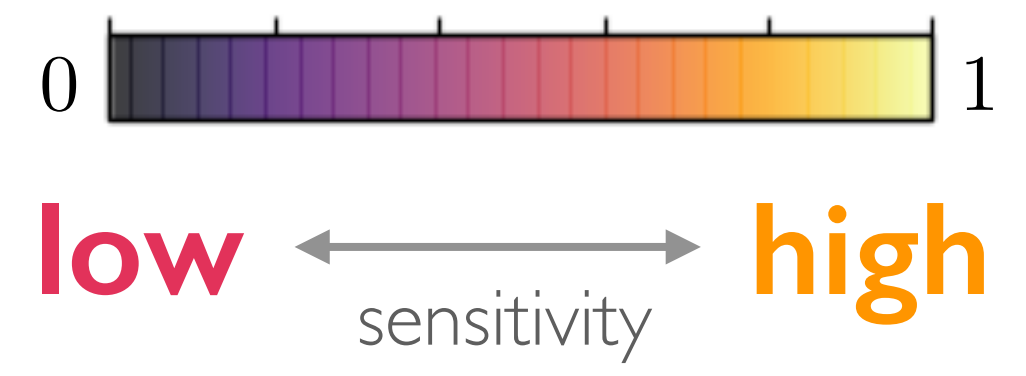


Livingston



Virgo

EM counterpart
[*Astrophys. J.*, 848 2 L13 (2017)]

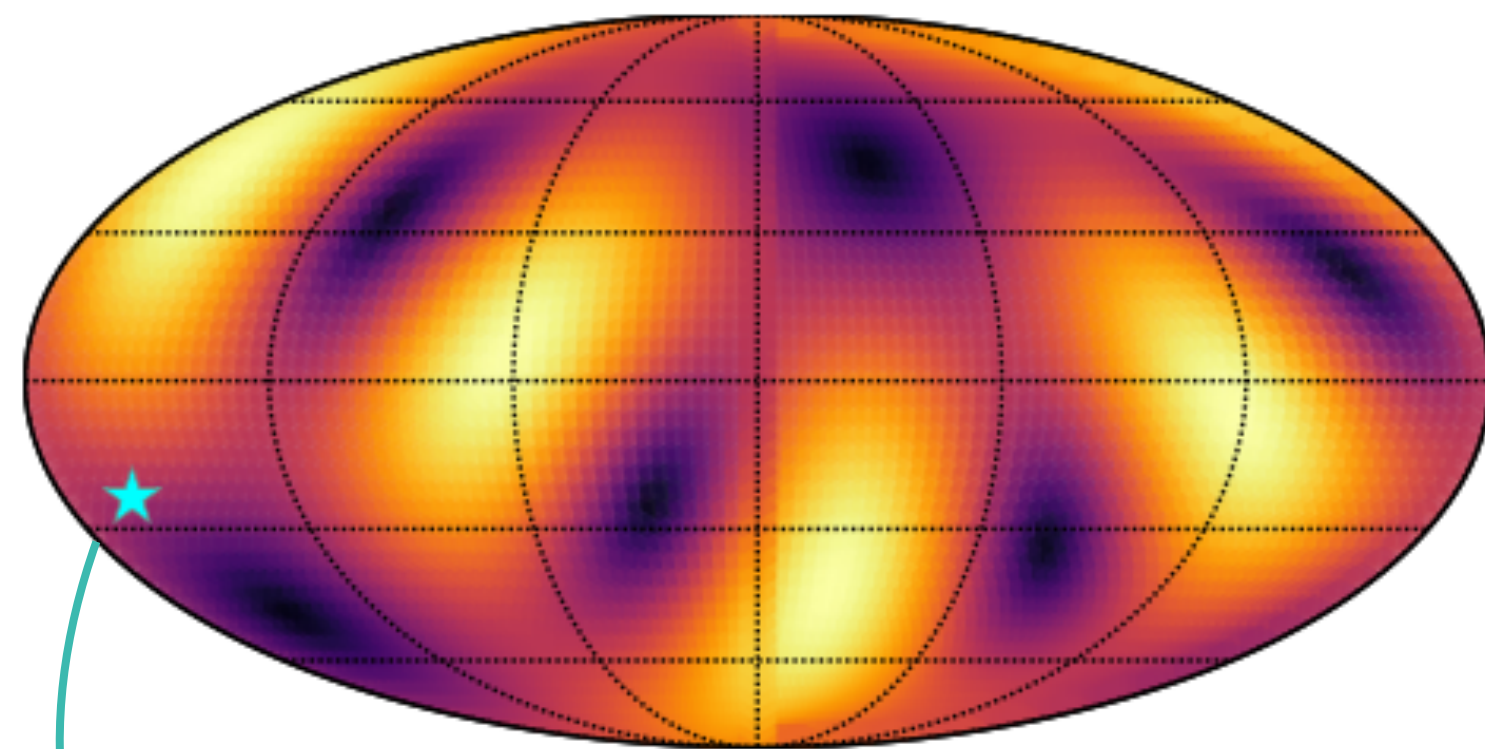


heat-maps show effective antenna patterns,
no GW data used

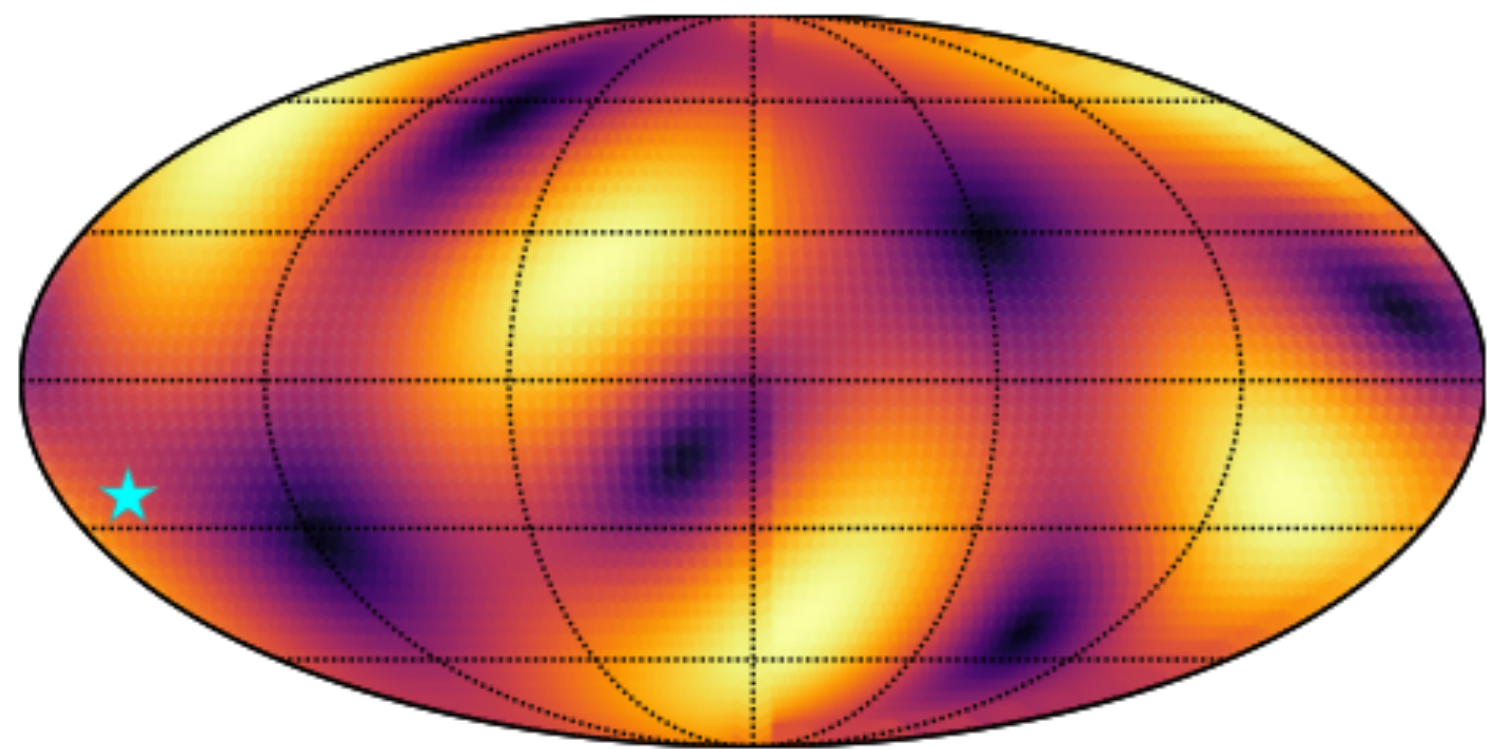
no GW data here!

GW170817

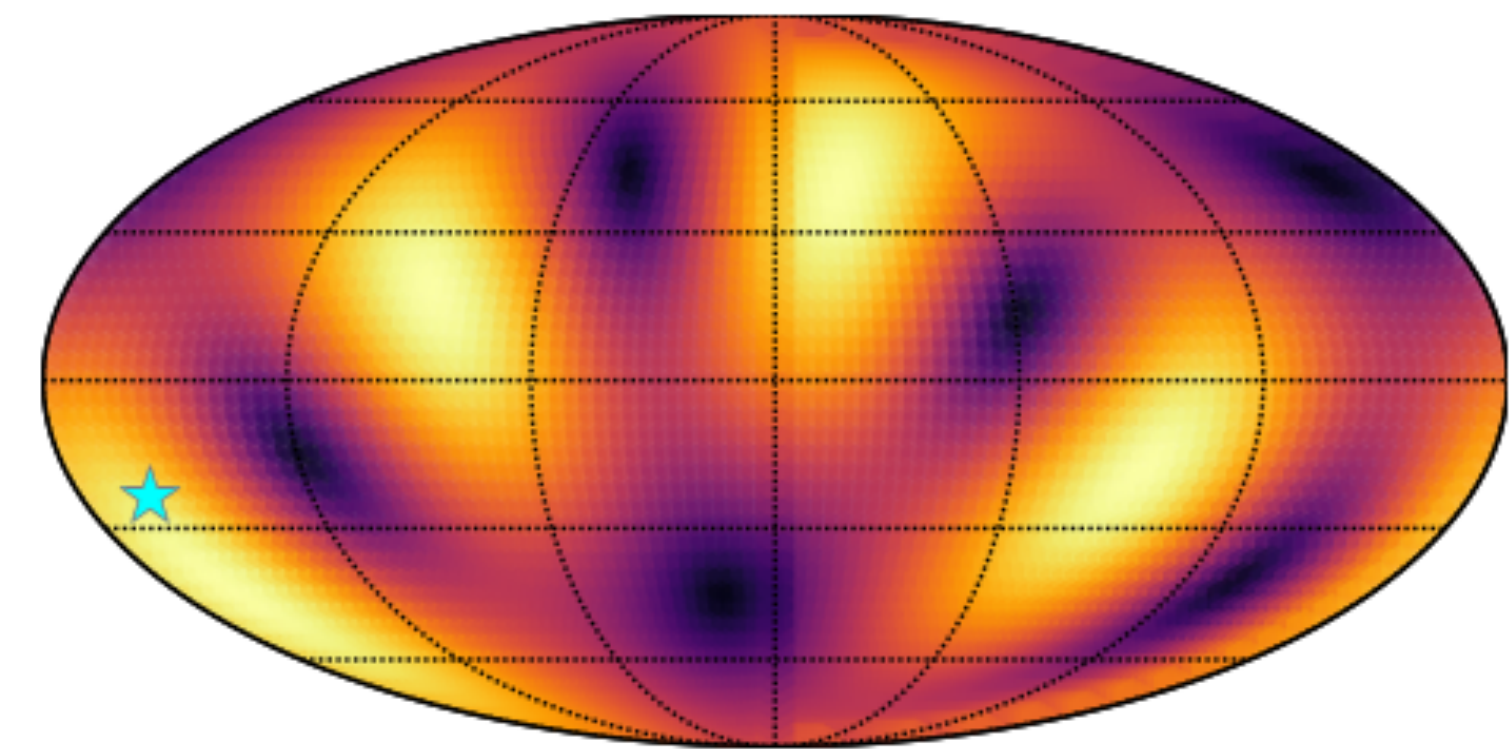
vector sensitivity



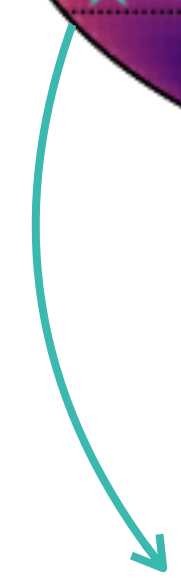
Hanford



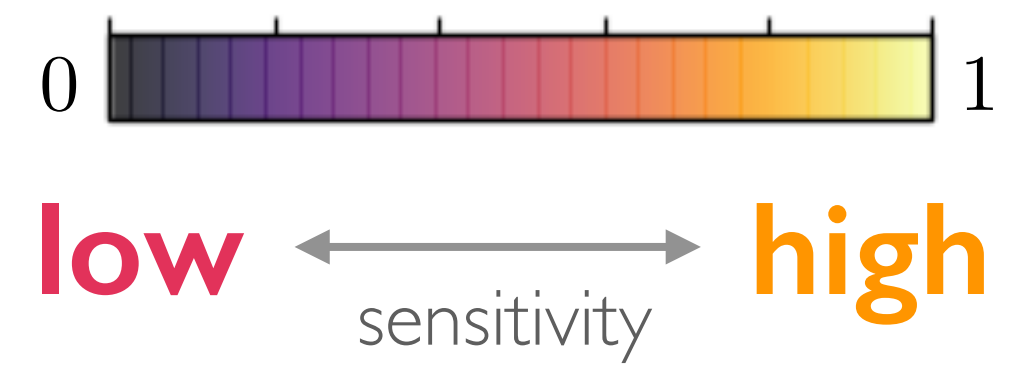
Livingston



Virgo



EM counterpart
[Astrophys. J. 848 2 L13 (2017)]

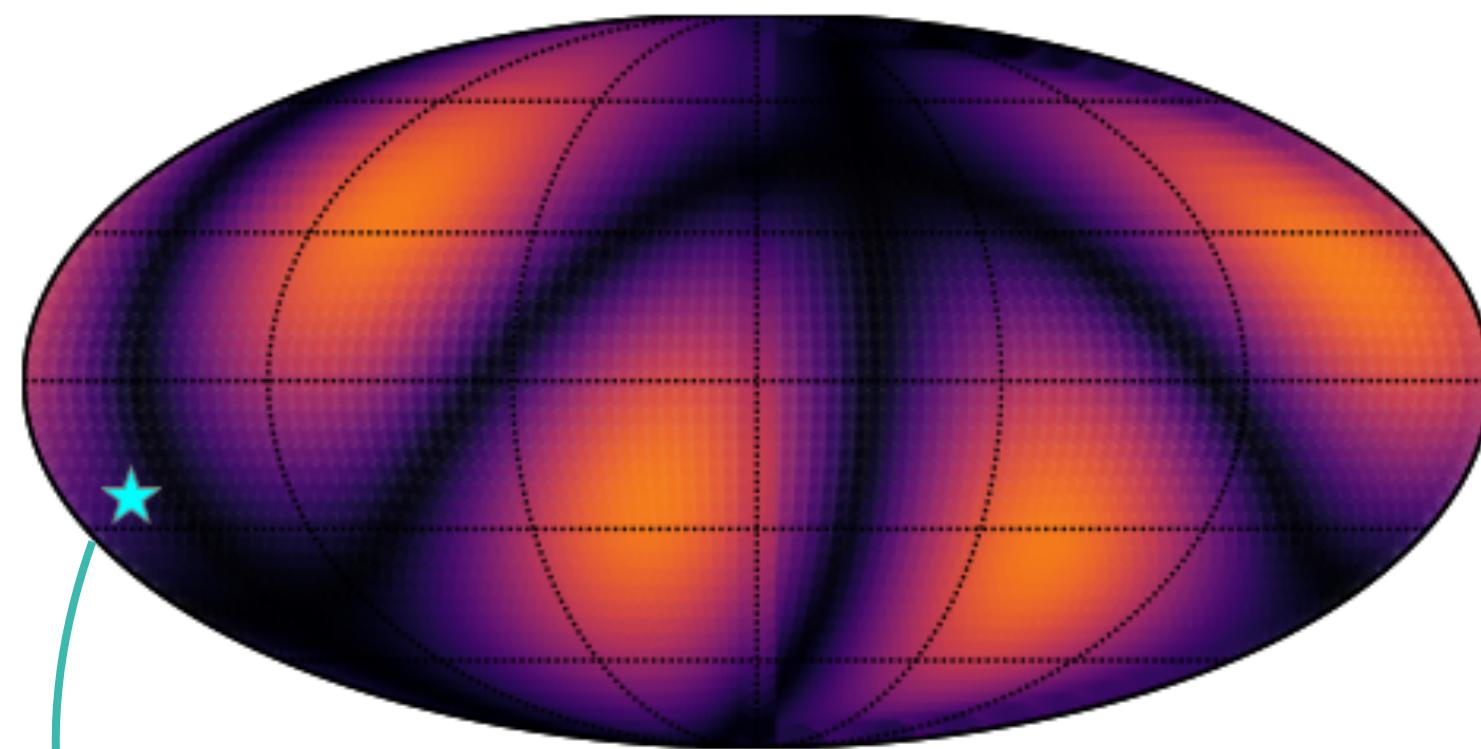


heat-maps show effective antenna patterns,
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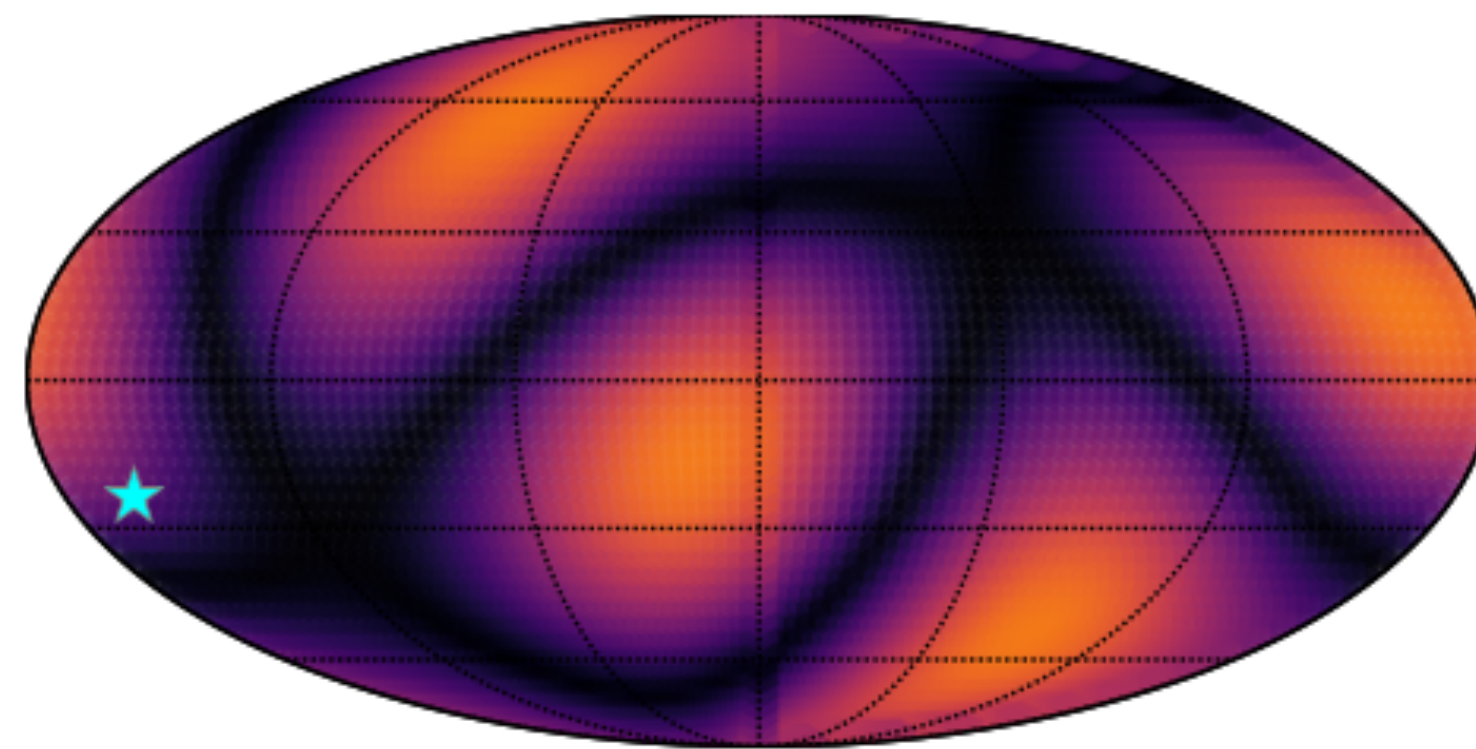
GW170817

scalar sensitivity

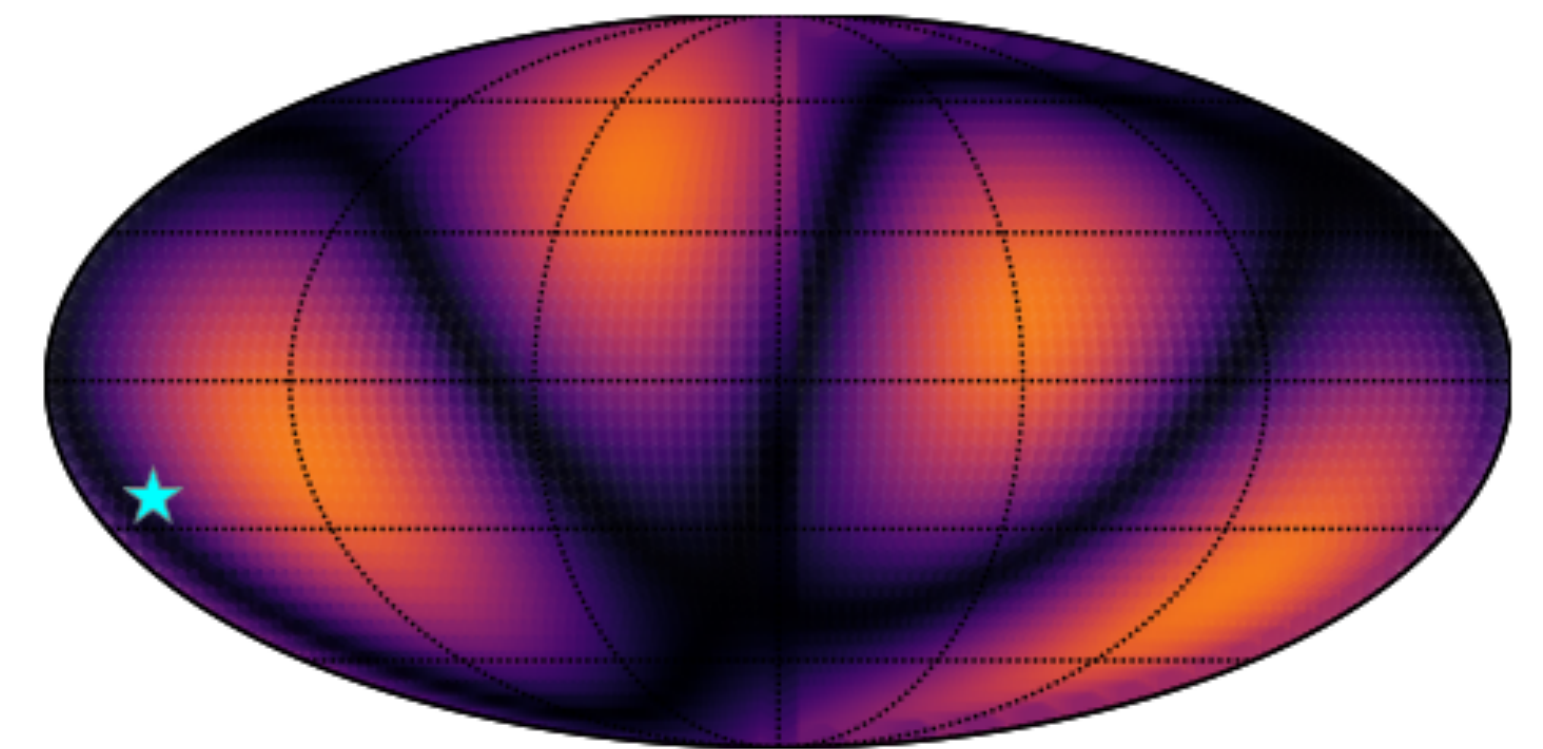
no GW data here!



Hanford



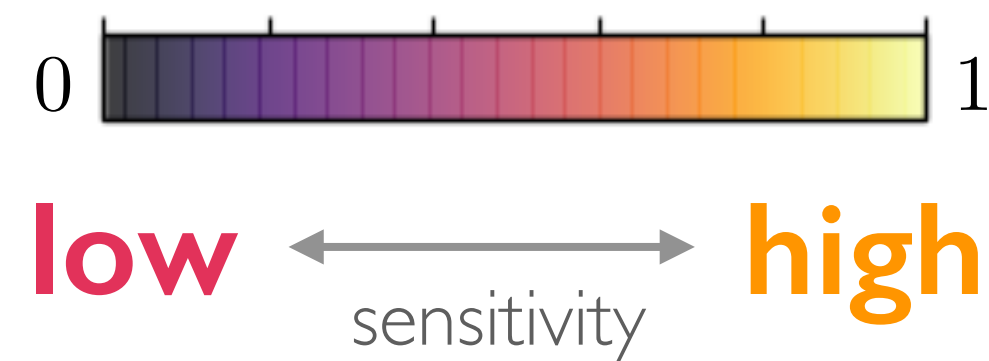
Livingston



Virgo

EM counterpart

[Astrophys. J. 848 2 L13 (2017)]



heat-maps show effective antenna patterns,
no GW data used

summary

need 5 detectors to fully disentangle polarizations of transient signals
but can already break *some* degeneracies with existing 3 detectors

**GW170814 gave us first direct glimpse into
GW polarization geometry**

GR tensor hypothesis favored over extreme vector and scalar models
should expect odds from BNS detection to be much stronger

future prospects

method to handle mixed polarizations
under development for transients
(even though we will need more instruments for it to work fully)

but, there's more in life than compact binaries!

continuous waves
stochastic background

could measure all polarizations with current network

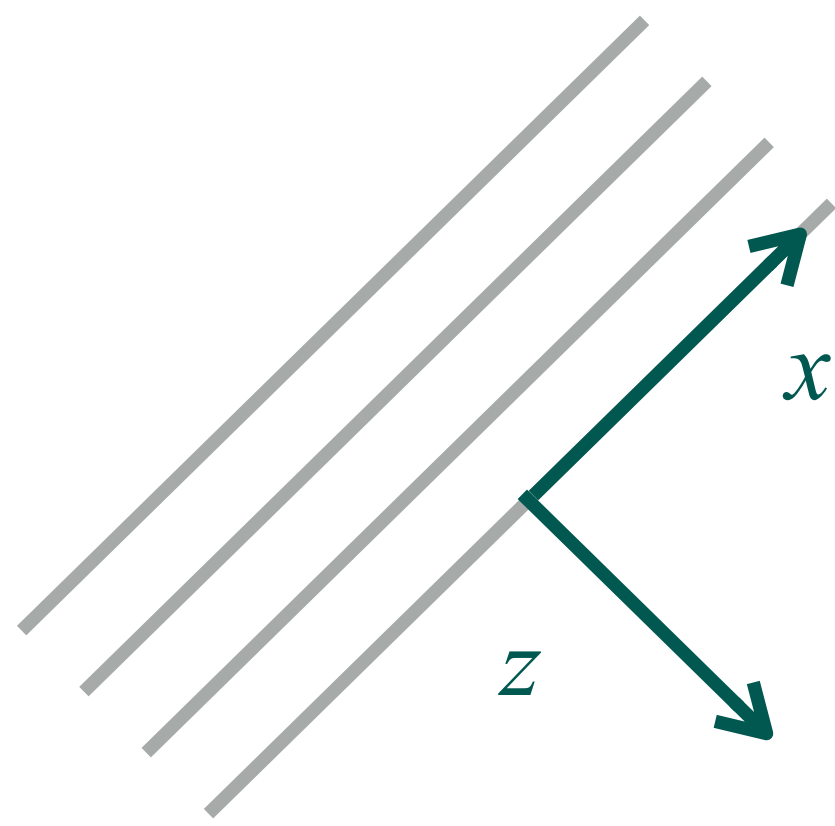
[PhysRevLett.120.031104] [PhysRevLett 120.201102]

thank you!

Caltech   LIGO

LIGO-G1800073

extra



polarizations

linear basis decomposition

$$[h_{ij}] = \begin{pmatrix} h_b + h_+ & h_x & h_x \\ h_x & h_b - h_+ & h_y \\ h_x & h_y & h_l \end{pmatrix}$$

in the Fourier domain and in a generic frame,
with \mathbf{k} the 4-wave-vector

$$\tilde{h}_{ab}(\vec{k}) = \tilde{h}_A(\vec{k}) e_{ab}^A(\hat{k})$$

predictions

Theory	+	x	x	y	b	l
General Relativity	allowed	allowed	forbidden	forbidden	forbidden	forbidden
GR in noncompactified 4/6D Minkowski	allowed	allowed	allowed	allowed	allowed	allowed
Einstein-Æther	allowed	allowed	allowed	allowed	allowed	allowed
5D Kaluza-Klein	allowed	allowed	allowed	allowed	allowed	forbidden
Randall-Sundrum braneworld	allowed	allowed	forbidden	forbidden	forbidden	forbidden
Dvali-Gabadadze-Porrati braneworld	allowed	allowed	depends	depends	depends	depends
Brans-Dicke	allowed	allowed	forbidden	forbidden	allowed	allowed
$f(R)$ gravity	allowed	allowed	forbidden	forbidden	allowed	allowed
Bimetric theory	allowed	allowed	allowed	allowed	allowed	allowed
Four-Vector Gravity	forbidden	allowed	allowed	allowed	forbidden	forbidden

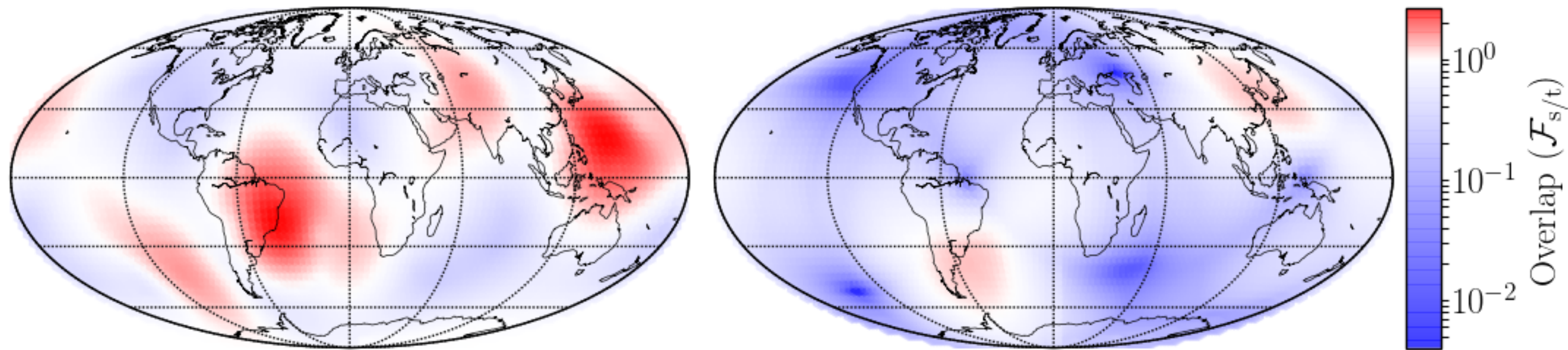
Nishizawa et al., Phys. Rev. D 79, 082002 (2009) [except G4v & Einstein-Æther].

allowed / depends / forbidden

HLV network response

not all sky-locations are equal

Isi & Weinstein (2017)



tensor vs vector

tensor vs scalar

nontensor response can be **more** or **less** than
tensor at different points

“overlap” only quantifies overall magnitude, given by detector responses added in quadrature for different detectors—does not account for phasing/sign differences

polarization measurement

$$h_I(t) = F_I^A h_A(t)$$

polarization geometry gets encoded in
relative amplitude, phase and timing
at each detector via the antenna patterns

but...

polarization measurement

cannot break *all* degeneracies with less than 5 detectors*

need to invert matrix to recover intrinsic polarization amplitudes

$$\begin{bmatrix} h_1 \\ h_2 \\ \vdots \\ h_I \end{bmatrix} = \begin{bmatrix} F_{1+} & F_{1\times} & F_{1x} & F_{1y} & F_{1s} \\ F_{2+} & F_{2\times} & F_{2x} & F_{2y} & F_{2s} \\ \vdots & \vdots & \vdots & \vdots & \vdots \\ F_{I+} & F_{I\times} & F_{Ix} & F_{Iy} & F_{Is} \end{bmatrix} \begin{bmatrix} h_+ \\ h_\times \\ h_x \\ h_y \\ h_s \end{bmatrix}$$

signal at detector I = response of detector I to each polarization \times intrinsic waveform

to make things worse, LIGO detectors are nearly coaligned

*non-coaligned differential-arm detectors, with *transient* signals, and even with an EM counterpart

assumptions

gravity is described by a metric theory
(i.e. all we need to know is Riem)

GWs propagate locally at c

no local polarization rotations

plane-wave & small-antenna approximations

...